# DisCont: Self-Supervised Visual Attribute Disentanglement using Context Vectors

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#### Introduction

# Disentangling

- Disentangling visual attributes leads to task-agnostic representations which can enhance efficiency and performance of deep models.
- Impossibility result': unsupervised disentanglement is impossible without explicit inductive biases on the models and data used.

### **Contrastive Learning Paradigms**

- Exploit the spatial and structural inductive biases prevalent in visual datasets for unsupervised disentanglement.
- E.g. data with color and position attributes color transformation -> position remains same and vice versa.

#### Contributions

- Propose a self-supervised method *DisCont* to simultaneously disentangle multiple underlying visual attributes by effectively introducing inductive biases in images via data augmentations.
- Highlight the utility of leveraging composite stochastic transformations for learning richer disentangled representations.
- Present the idea of 'Attribute Context Vectors' to capture and utilize intra-attribute variations in an extensive manner.
- Impose an attribute clustering objective that is commonly used in distance metric learning literature, and show that it further promotes attribute disentanglement.

#### Framework & Methodology

Algorithm 1 Mask and Augmented Batch generation **Input:** A batch of images x, the set of positive transformations  $\mathcal{T}_p$ , the set of negative transformations  $\mathcal{T}_n$ , number of feature attributes k **Output:** The augmented batch  $x_{aug}$ , the mask mInitialize  $m = [0, 0, ..., 0]_k, x_{aug} = x$ for i = 1 to k do  $p \sim Bernoulli(0.5)$ if p = 1 then m[i] = 1 $x_{aug} = n_i(x_{aug})$ end if end for for i = 1 to k do  $p \sim Bernoulli(0.5)$ if p = 1 then  $x_{aug} = p_i(x_{aug})$ end if end for return  $x_{aug}, m$ 



#### Figure 1: DisCont Training

### **Informativeness Score**

$$\mathbb{I}(x, z_{f,i}) = \int_x \int_{z_f} p_{\mathcal{D}}(x) f(z_{f,i}|x) \log\left(\frac{f(z_{f,i}|x)}{f(z_{f,i})}\right) dx \, dz_f$$



### **Experimental Results - Qualitative Results**

# Latent Visualization



dSprites

Cars3D



3DShapes

#### **Experimental Results - Qualitative Results**

## **Attribute Transfer**



3DShapes, Orientation



Cars3D, Color



Sprites, Hair Color

For more details, please check our paper and code: <u>DisCont: Self-Supervised Visual Attribute Disentanglement using</u> <u>Context Vectors</u> <u>https://github.com/sarthak268/DisCont</u>